Monetary-Fiscal Interactions and Household Heterogeneity: an Analytical Characterization Paweł Kopiec, Narodowy Bank Polski

Introduction

What I do?

- I develop an analytical formula for the government spending multiplier in economy populated with heterogeneous agents
- In my analysis I use the Bewley-Huggett-Aiyagari model extended to capture product market frictions
- The derived formula clearly shows the character of monetary-fiscal interactions when households are heterogeneous
- Calibrated model is used to estimate the multiplier and its components under 3 monetary-fiscal scenarios:
- tax-financed stimulus

Frictional product market:

- A decentralized, search-and-matching product market is crucial for solving the model with paper and pencil
- Non-Walrasian market for goods in the literature: Diamond (1982), Michaillat and Saez (2015), Kaplan and Menzio (2016), Bai, Rios-Rull and Storesletten (2018)

Technical contribution:

- I relax 3 restrictive assumptions made in the literature to derive closed-form expressions in heterogeneous agent models:
- 1. Extreme illiquidity: used by Werning (2015), Ravn and Sterk (2016), McKay and Reis (2016)

- debt-financed stimulus
- -liquidity trap

2. Constant real interest rates: used by Auclert, Rognlie and Straub (2018), Patterson (2018)

3. **Partial equilibrium:** used by Auclert (2018)

Theoretical analysis: Bewley-Huggett-Aiyagari model with frictional product market

Self-employed households:

 $V(z,b) = \max_{c,v,b'} \left\{ \tilde{u}(c,v) + \beta \mathbb{E}_{z'|z} V(z',b') \right\}$ subject to: $c + \tau(z) \cdot \Theta + \frac{b'}{1+i} = \frac{b}{\Pi} + z \cdot f$ $c = q \cdot v$ $b' > -\xi$ **Fiscal and monetary policy:** $\Theta + \frac{\bar{B}'}{1+i} = \frac{\bar{B}}{\Pi} + G$ $G = q \cdot v_G$ $i = \max\left\{\bar{i} + \phi_{Y} \cdot \left(\frac{Y - \bar{Y}}{\bar{Y}}\right) + \phi_{\Pi} \cdot (\Pi - \bar{\Pi}), 0\right\}$

Additional notation:

 $\lambda \equiv \frac{dB_{t+1}}{dG_t}$ - proportion of dG_t financed with public debt $\alpha \equiv \frac{d\Pi/dx}{dY/dx}$ - a demand-driven comovement between prices and output $\Omega \equiv \phi_{\Pi} \cdot \alpha + \phi_{Y}$ - strength of the monetary policy reaction Λ - fiscal rule that determines the way in which stimulus is financed

Multiplier:

An unexpected rise in fiscal purchases arrives in period *t* and is followed by a perfect-foresight transition path. The multiplier's formula is:

$$\frac{dY_t}{dG_t} = \frac{1 + \frac{\partial C_t}{\partial G_t}}{1 - \frac{\partial C_t}{\partial x_t} \cdot \frac{1}{f'(x_t)}}$$

where:

$$\frac{\partial C_t}{\partial \sigma} \equiv -\left(1 - \frac{\lambda}{1 - i}\right) \cdot \mathbb{E}_u \left(MPC \cdot \tau\right) + \beta \cdot (1 + i) \cdot \mathbb{E}_u \left(MPS \cdot \frac{1}{1 - i} \cdot \mathbb{V}_{hC}^{\Lambda}\right)$$



Empirical analysis: a calibrated model is used to decompose the multiplier under 3 alternative scenarios



Three scenarios:

- 1. **Benchmark:** unconstrained monetary policy and tax-financed stimulus
- 2. Liquidity trap: monetary policy constrained by the ZLB and tax-financed stimulus
- 3. **Debt-financed stimulus:** accompanied by unconstrained monetary policy



Key calibration target - MPC over cash-in-hand deciles:



Simulation results:

| Channel\Scenario | Benchmark | Liquidity trap | Debt-financed |
|----------------------------|-----------|----------------|---------------|
| Taxation | -0.57 | -0.57 | 0 |
| Precautionary motives | -0.02 | -0.02 | -0.28 |
| Intertemporal substitution | -0.05 | 0 | -0.05 |
| Interest rate exposure | 0.16 | 0 | 0.16 |
| Income | 0.58 | 0.58 | 0.58 |
| Debt service costs | -0.10 | 0.06 | -0.10 |
| Fisher | -0.06 | -0.06 | -0.06 |
| MUTLIPLIER | 0.88 | 0.97 | 1.55 |